## Factor completely. Do Not Solve!

1. 
$$x^4 - 5x^2 + 6$$

2. 
$$x^4 + 7x^2 + 12$$

3. 
$$3x^4 - 75x^2$$
 Is there a GCF?

4. 
$$-2x^4 + 8x^2$$
 Is there a GCF?

5. 
$$x^5 - 10x^3 + 16x$$
 Is there a GCF?

$$6. \ x^3 + 4x^2 + 9x + 36$$

6.  $x^3 + 4x^2 + 9x + 36$  How do you factor when there are 4 terms?

## SOLVE the following polynomial equation by factoring.

7. 
$$3x(x+4)(x^2-7)=0$$

\*already in factored form...just solve!

8. 
$$x^4 - 4x^2 = 0$$

9. 
$$x^4 - 6x^2 + 9 = 0$$

10. 
$$x^4 - 25 = 0$$

11.  $x^4 + 3x^2 = 28$  ... Set this one =0!

12.  $3x^4 - 4x^2 - 7 = 0$  ... Use the box method!

13.  $x^3 + 5x^2 + 6x = 0$  Is there a GCF?

14. Given  $y = x^3 + 5x^2 + 6x$ 

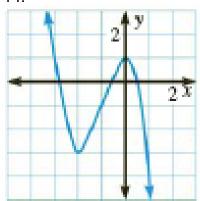
What is the degree?\_\_\_\_\_

What is the name of the equation? Circle one: Linear quadratic cubic Quartic Quintic

What is the max number of turning points? \_\_\_

Determine the <u>zeros</u> and the <u>least degree</u> that the polynomial function can have. Then estimate the coordinate of each turning point and state whether it is a <u>local minimum</u> or <u>local maximum</u>.

14.



Roots: Degree=

Turning

Point/type:\_\_\_\_\_

**Turning** 

Point/type:\_\_\_\_\_

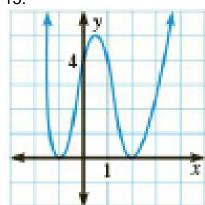
**Right Side Behavior** 

As  $x \to \infty$ ,  $y \to$ \_\_\_\_\_

**Left Side Behavior** 

As  $x \to -\infty$ ,  $y \to \underline{\hspace{1cm}}$ 

15.



Roots: Degree=\_\_\_\_

Turning Point/type:\_\_\_\_\_

Turning Point/type:\_\_\_\_\_

Turning Point/type:\_\_\_\_\_

Right Side Behavior

As  $x \to \infty$ ,  $y \to$ \_\_\_\_\_

**Left Side Behavior** 

As  $x \to -\infty$ ,  $y \to$ \_\_\_\_\_